

# Quiz on basic data structures

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The goal is to help you evaluate your familiarity with basic topics in programming. We won't give you a mark for this. If everything looks fine, then probably, you don't need to attend this refresher.

**A01** Let  $\mathbf{t}$  be an array of  $n$  integers. What is the complexity of finding a given integer in  $\mathbf{t}$ ?

1.  $O(n)$
2.  $O(1)$
3.  $O(\log n)$
4.  $O(n^2)$

**A02** Let  $\mathbf{t}$  be a **sorted** array of  $n$  integers. What is the complexity of finding a given integer in  $\mathbf{t}$ ?

1.  $O(n)$
2.  $O(1)$
3.  $O(\log n)$
4.  $O(n^2)$

**A03** Let  $\mathbf{t}$  be an array of  $n$  integers. What is the best complexity of sorting  $\mathbf{t}$  using comparisons of integers?

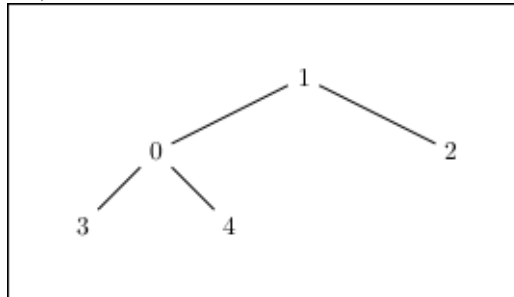
1.  $O(n)$
2.  $O(1)$
3.  $O(n \log n)$
4.  $O(n^2)$

**A04** Let  $\mathbf{t}$  be an array of  $n$  integers. Which algorithm has a good average complexity?

1. quicksort
2. bubble sort
3. insertion sort

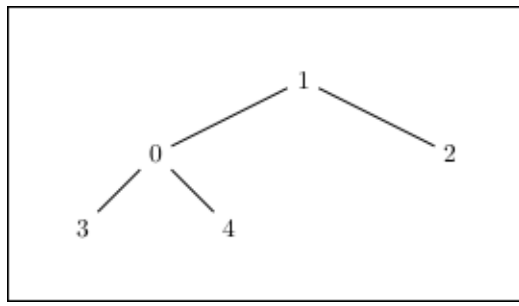
4. selection sort

**T01** In this picture, what are the nodes of the tree?



1. 0, 1, 2, 3, 4
2. 1
3. 2, 3, 4
4. 0, 1

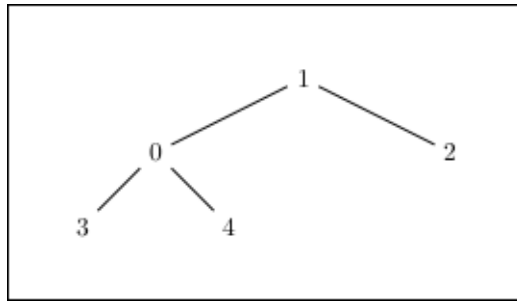
**T02** In this picture, what are the leafs of the tree?



1. 2, 3, 4
2. 1
3. 0,1,2, 3, 4
4. 0, 1

**T03** We define the **height**  $H$  of a binary tree  $T$  as follows: the height of the empty tree is 0, the tree with 1 node has height 1, and if  $T = (r, T_g, T_d)$ ,  $H(T) = 1 + \max(H(T_g), H(T_d))$ . What is for the following tree:

[



1. 3
2. 2
3. 1
4. 5

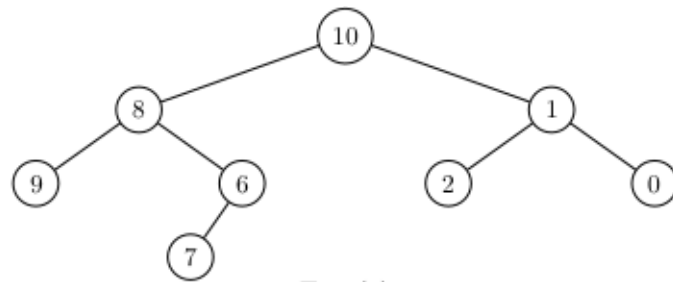
**T04** We define the **height**  $H$  of a binary tree  $T$  as follows: the height of the empty tree is 0, the tree with 1 node has height 1, and if  $T = (r, T_g, T_d)$ ,  $H(T) = 1 + \max(H(T_g), H(T_d))$ . What is the **minimal** value for  $H(T)$  when  $T$  has  $n$  nodes?

1.  $\log_2(n)$
2.  $n$
3. 1
4.  $n \log(n)$

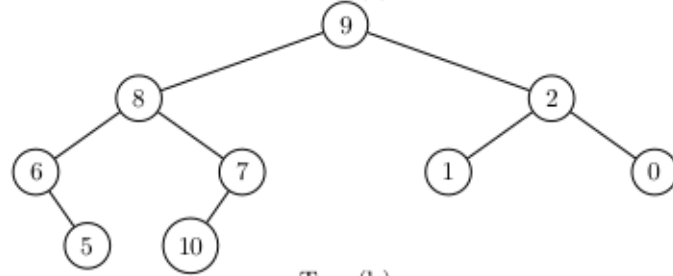
**T05** We define the **height**  $H$  of a binary tree  $T$  as follows: the height of the empty tree is 0, the tree with 1 node has height 1, and if  $T = (r, T_g, T_d)$ ,  $H(T) = 1 + \max(H(T_g), H(T_d))$ . What is the **maximal** value for  $H(T)$  when  $T$  has  $n$  nodes?

1.  $\log_2(n)$
2.  $n$
3. 1
4.  $n \log(n)$

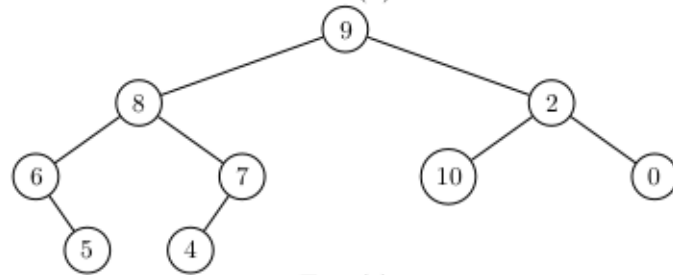
**T06** Which of the following trees are binary search trees?



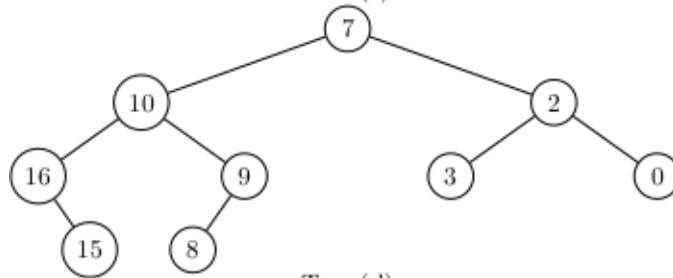
Tree (a)



Tree (b)



Tree (c)

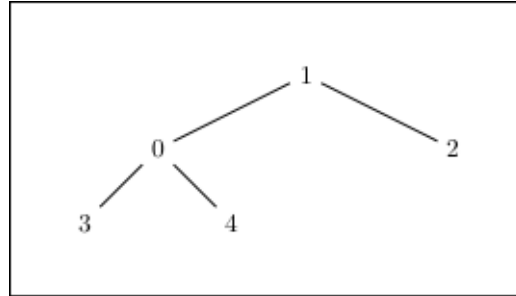


Tree (d)

1. a, d
2. a, b, c, d
3. a, b
4. a, c, d

**T07** Consider the following tree. We suppose we traverse it in prefix order, infix order and postfix order and print the visited nodes at each step. What

are the results?



1. 10342; 30412; 34021
2. 01234; 43210; 30412
3. 34021; 30412; 10342
4. 0; 1; 3

**L01** Let  $L$  be a simple linked list with  $n$  elements. What is the complexity of adding an element at the head of  $L$ ?

1.  $O(1)$
2.  $O(n)$
3.  $O(\log n)$
4.  $O(n^2)$

**L02** Let  $L$  be a simple linked list with  $n$  elements. What is the average complexity of searching for an element in  $L$ ?

1.  $O(1)$
2.  $O(n)$
3.  $O(\log n)$
4.  $O(n^2)$

**L03** Let  $L$  be a simple linked list with  $n$  elements. What is the complexity of inserting an element at the end of  $L$ ?

1.  $O(1)$
2.  $O(n)$
3.  $O(\log n)$
4.  $O(n^2)$

**L04** Let  $L$  be a doubly linked list with  $n$  elements. What is the complexity of inserting an element at the end of  $L$ ?

1.  $O(1)$

2.  $O(n)$
3.  $O(\log n)$
4.  $O(n^2)$

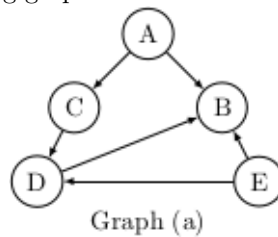
**H01** Let  $H$  be a hash table containing  $n$  elements. What is the complexity of inserting a new element?

1.  $O(n)$
2.  $O(1)$
3.  $O(\log n)$
4.  $O(n^2)$

**H02** Let  $H$  be a hash table containing  $n$  elements. What is the complexity of searching for an element?

1.  $O(n)$
2.  $O(1)$
3.  $O(\log n)$
4.  $O(n^2)$

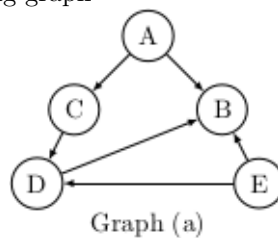
**G01** Consider the following graph



What are the vertices?

1. A, B, C, D, E
2. A, C, D, E
3. B
4. A, D, E

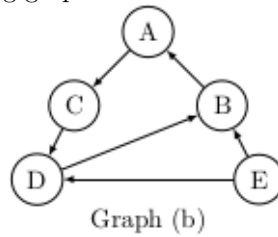
**G02** Consider the following graph



What are the edges?

1. (A, B); (A, C); (C, D); (D, B); (E, B); (E, D)
2. (B, A); (C, A); (D, C); (B, D); (B, E); (D, E)
3. (A, B); (A, C); (C, D)
4. (D, B); (E, B)

**G03** Consider the following graph



Which of these paths are a circuit?

1. (A, C, D, B, A)
2. (A, C, D, B, A) and (D, B, E, D)
3. (A, C, D, A)
4. (A, B, C, D, E, A)